

EQUAL SETS

The set are equal if and only if their number of elements and the member of elements are exactly same.

Example of equal sets: $A = \{5,6,7\}$, $B = \{7,5,6\}$, $C = \{5,5,6,6,7,7\}$

SPECIAL SYMBOLS FOR SETS

N = the set of **positive integers** : 1, 2, 3,

Z = the set of **integers** :, -2, -1, 0, 1, 2,

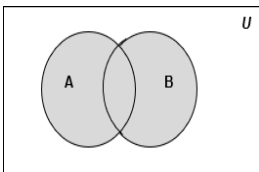
Q = the set of **rational numbers**

R = the set of **real numbers**

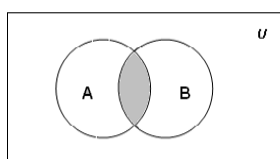
C = the set of **complex numbers**

OPERATION ON SETS

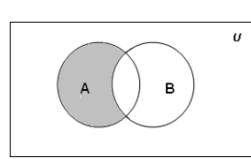
$A \cup B$



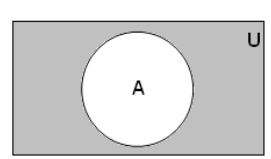
$A \cap B$



$A - B$



A'

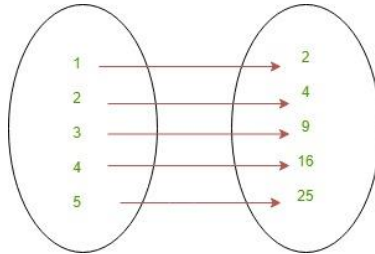


RELATION REPRESENTATION

GRAPHICALLY/ ARROW DIAGRAM

Example:

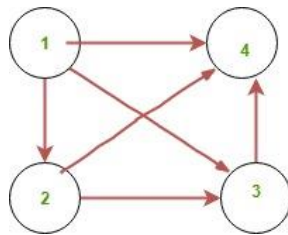
$$R = \{(1, 1), (2, 4), (3, 9), (4, 16), (5, 25)\}$$



DIGRAPH (DIRECTED GRAPH)

Example:

$$R = \{(1,2), (1,3), (1,4), (2,3), (2,4), (3,4)\}$$



MATRICES

Example:

Suppose that $A = \{1,2,3\}$ and $B = \{1,2\}$. $R = \{(2, 1), (3,1), (3,2)\}$

In matrix form;

$$M_R = \begin{bmatrix} 0 & 0 \\ 1 & 0 \\ 1 & 1 \end{bmatrix}$$

PROPERTIES OF RELATIONS

REFLEXIVE

SYMMETRIC

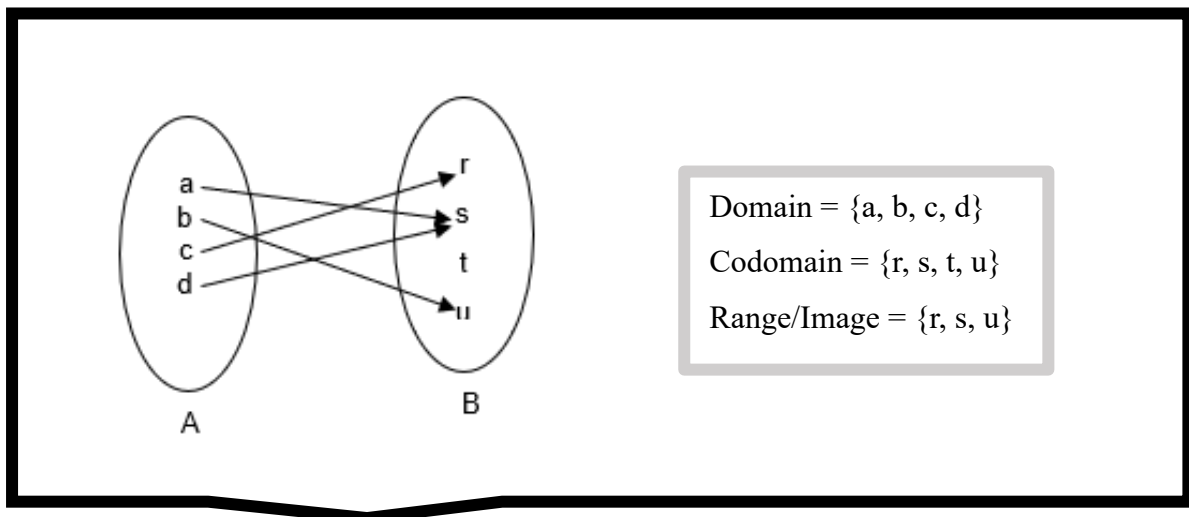
TRANSITIVE

*A relation on a set A is called an **equivalence relation** if it is *reflexive*, *symmetric* and *transitive*.

IMPORTANT TERMS USED IN FUNCTIONS

- The element in set A is called the **domain**
- The element in set B is called **codomain**
- Unique element of B which is assign to A is called **image / range**.

Example 1:

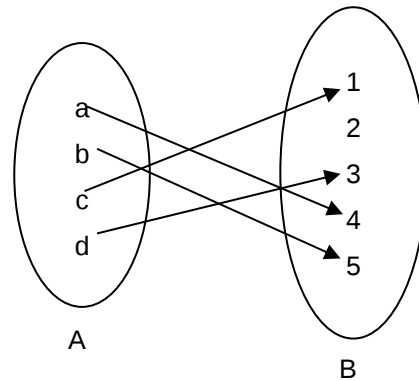


ONE-TO-ONE FUNCTIONS

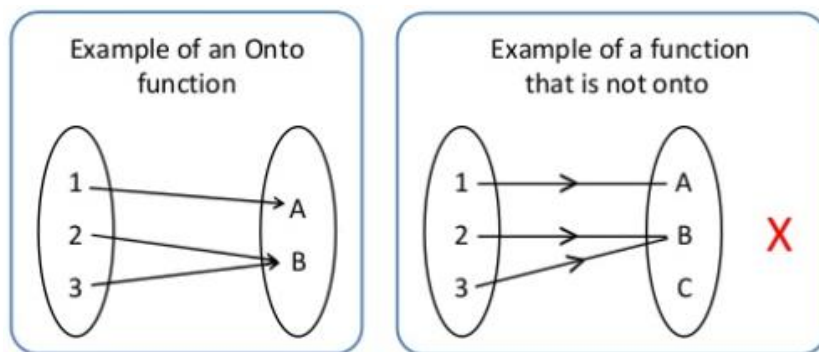
Example 2:

Determine whether the function f from $\{a, b, c, d\}$ to $\{1, 2, 3, 4, 5\}$ with $f(a) = 4$, $f(b) = 5$, $f(c) = 1$ and $f(d) = 3$ is one-to-one.

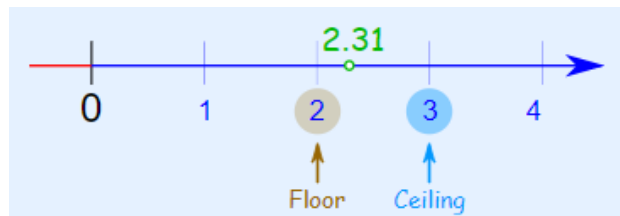
Solution: The function f is one-to-one.



ONTO FUNCTION



DESCRIBE FLOOR AND CEILING FUNCTIONS



Notes: $\lfloor 2.31 \rfloor = 2$

$\lceil 2.31 \rceil = 3$

Another example: Solve $\lfloor 0.5 + \lceil 1.3 \rceil - \lfloor -1.3 \rfloor \rfloor$

$= \lfloor 0.5 + 2 - (-1) \rfloor$

$= 3$